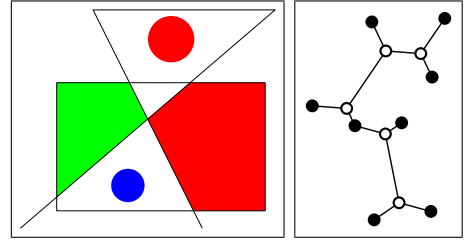


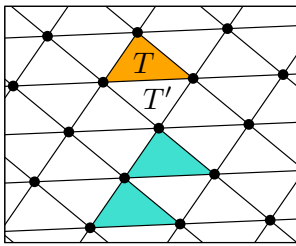
Tues 10:20–10:33 **Bottleneck Distances and Steiner Trees**  
**3A**, room 054, #33 *Don Sheehy, Peyman Afshani, Yannik Stein*

An  $s$ -workspace algorithm is an algorithm that has read-only access to the values of the input and only uses  $O(s)$  additional words of space. We give a randomized  $s$ -workspace algorithm for triangulating a simple polygon  $P$  of  $n$  vertices, for any  $s$  in the range between  $s = \Omega(\log n)$  and  $s = O(n)$ . The algorithm runs in  $O(n^2/s)$  expected time.



We extend the approach to compute other similar structures such as the shortest-path map or the shortest-path tree from a point  $p \in P$ , or a partition of  $P$  using only diagonals of the polygon so that the resulting sub-polygons have  $\Theta(s)$  vertices each. We extend the approach to compute other similar structures such as the shortest-path map or the shortest-path tree from a point  $p \in P$ , or a partition of  $P$  using only diagonals of the polygon so that the resulting sub-polygons have  $\Theta(s)$  vertices each.

Tues 10:20–10:33 **Curves with Increasing Chords and Curves with Increasing Chords and Curves with Increasing Chords and an Overly Long Title**  
**3A**, room 054, #33 *Boris Klemz, Günter Rote*



We consider the following two problems:

(a) Floodlight illumination: We are given  $n$  infinite wedges (sectors, spotlights) that can cover the whole plane when placed at the origin. They are to be assigned to  $n$  given locations (in arbitrary order, but without rotation) such that they still cover the whole plane.

(b) Convex partition: We are given a convex  $m$ -gon  $P$  and a finite set of points  $S$  from the interior of  $P$ , and  $m$  positive integers  $s_i$  with  $s_1 + \dots + s_m = |S|$ .

We want to partition  $P$  into  $m$  convex parts. The  $i$ -th part should contain the  $i$ -th edge of  $P$  and  $s_i$  points of  $S$ .

We will show that these two seemingly quite different problems can be solved in a uniform way by a reduction to a minimum-weight bipartite matching problem.

Tues 10:20–10:33 **Some Interesting Results about Recent Progress and Regress**  
**3A**, room 054, #33 *First Author, The Speaker, Günter Rote, Fourth Author*

We consider the problem of floodlight illumination: Illuminate a lecture hall with the smallest possible number of floodlights. I will illustrate the problem with amazing powerpoint animations. I will bring flashlights to the talk and with my coauthors, we will demonstrate our approach with interactive game that involves the audience.

The thumbnail figure contains already a surrounding box. It would have been appropriate to use the command `\FigureBorderfalse`.

